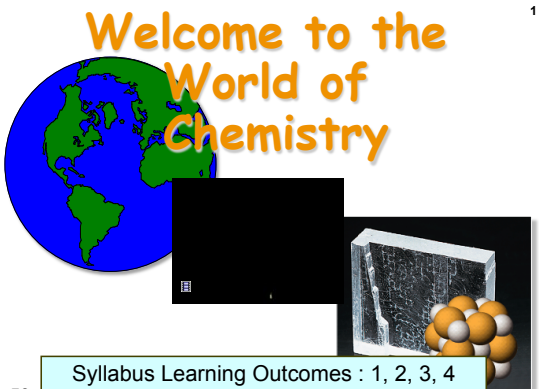


1



**Welcome to the  
World of  
Chemistry**

Syllabus Learning Outcomes : 1, 2, 3, 4

53 © 2006

**Required materials**

**Needed for**

- tests and quizzes
- reading assignments
- homework

Syllabus Learning Outcomes : 1, 2, 3, 4

Instructor: Dr. Michael Love - Office Hours L107 (see syllabus)  
Email: [mlove@sussex.edu](mailto:mlove@sussex.edu)  
Course: Chemistry 101

- 1) Kotz, Treichel, Townsend; Chemistry & Chemical Reactivity, 7<sup>th</sup>ed; Thomson
- 2) CHM 101 Syllabus for homework and reading assignments
- 3) Scientific calculator (non-graphing type must be used for exams)
- 4) Klein, General Chemistry I: Mastering the Fundamental Skills
- 5) Handouts – constants and periodic table – work problems using these resources as these will be attached to all exams
- 6) Attendance Required

3

### Grading

- Hour Examinations (3) 30%
- Quizzes (about weekly) 10%
- Lab 30%
- Final Exam (comprehensive) 30%
- No Make Up Quizzes
- Mobile phones, PDAs, and graphing calculators not permitted for exams
- Academic Dishonesty Penalty – You fail the assignment and will be reported to the Dean of Students, minimum

4

### Student Conduct

- Silence mobile phones, pagers and other devices that may disturb others during class
- Harassment of any kind is not permitted. Report incidents immediately to me.

5

### Get Supplemental Help

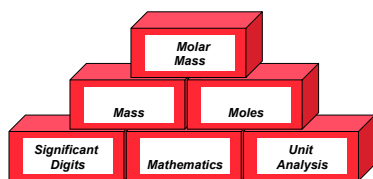
- Instructor: Dr. Michael Love
  - Lecture time, office hours L107 (see syllabus)
  - Email: [mlove@sussex.edu](mailto:mlove@sussex.edu)
- Science Resource Center (B300)
- Students with special needs, contact me.

6

### How to Succeed in Chemistry

- Take, read and summarize your lecture notes
- Do the homework
- Ask questions and keep up with the material
- Study 12 hours weekly based on 3 class hours
- Prepare, Practice, Repetition, Effort
  - Redo the homework as practice for quizzes
  - Redo quizzes and homework for the exams
  - Work problems forwards and backwards
  - Study lab problems
  - Redo quizzes, homework, and exams for the final
  - Join a study group

## Concepts are Cumulative

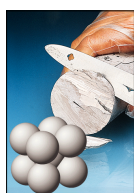


## Concepts are Cumulative

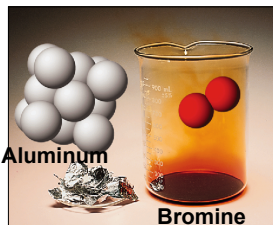


## Define Chemical Elements

- Find on periodic table
- pure substances that cannot be decomposed by ordinary means to other substances.



Sodium



Aluminum

Bromine

© 2006

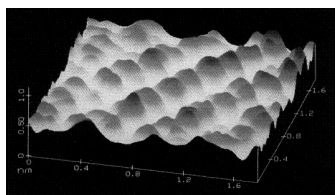
## What is the Periodic Table?

- Lists
  - element names
  - element symbols
  - atomic numbers
  - molar masses
  - electron configuration

© 2006

## Define Atom

- smallest particle of an element that has the chemical properties of the element.



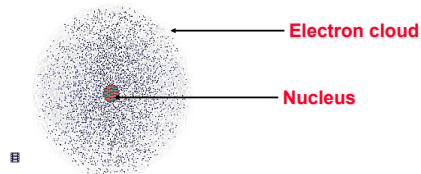
Copper atoms on silica surface.

Distance across = 1.8 nanometer ( $1.8 \times 10^{-9} \text{ m}$ )

© 2006

## Atom consists of a

- **nucleus** that contains
  - protons and
  - neutrons
- **electrons** in space about the nucleus.

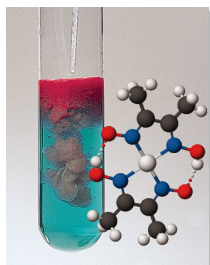


© 2006

## CHEMICAL COMPOUNDS

consist of different atoms and can be decomposed to those atoms.

13



The red compound is composed of

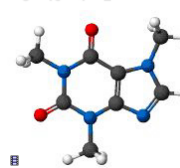
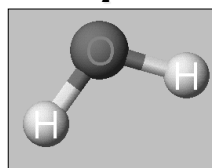
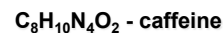
- nickel (Ni) (silver)
- carbon (C) (black)
- hydrogen (H) (white)
- oxygen (O) (red)
- nitrogen (N) (blue)

© 2006

**MOLECULE** contains 2 or more nonmetal atoms retaining the chemical characteristics of the substance.

14

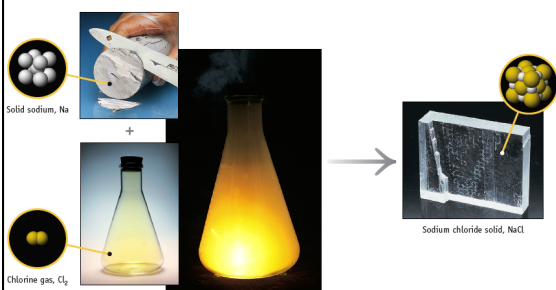
Composition of molecules is given by a **MOLECULAR FORMULA**



© 2006

## Elements react to form compounds

15

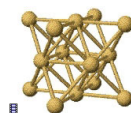


© 2006

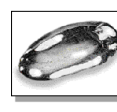
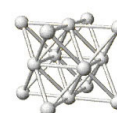
## The Nature of Matter

16

Gold



Mercury

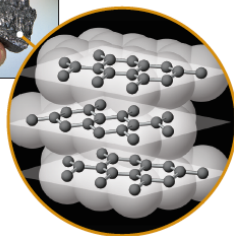
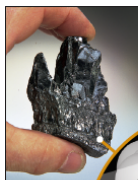


Chemists are interested in the nature of matter and how this is related to its atoms and molecules.

© 2006

**Graphite** —  
layer  
structure of  
carbon  
atoms  
reflects  
physical  
properties.

17



© 2006

## Chemistry & Matter

18

- We can explore the **MACROSCOPIC** world — what we can see —
- to understand the **PARTICULATE** worlds we cannot see.
- We write **SYMBOLS** to describe these worlds.

© 2006

19

**A Chemist's View of Matter**

Macroscopic

OBSERVE

IMAGINE

REPRESENT

Particulate

Symbolic

$\text{H}_2\text{O (liquid)} \longrightarrow \text{H}_2\text{O (gas)}$

© 2006

20

**A Chemist's View of Water**

Macroscopic

Particulate

Symbolic

$\text{H}_2\text{O}$   
(gas, liquid, solid)

© 2006

21

**A Chemist's View**

Macroscopic

Particulate

Symbolic

$2 \text{H}_2(\text{g}) + \text{O}_2(\text{g}) \longrightarrow 2 \text{H}_2\text{O}(\text{g})$

© 2006

22

**Matter is in Constant Motion**

Matter is atoms and molecules in motion.

Solid

Liquid

Gas

© 2006

23

**STATES OF MATTER**

Solid

Liquid

Gas

Bromine solid and liquid

Bromine gas and liquid

© 2006

24

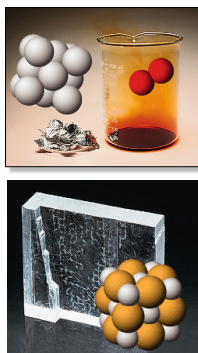
**Matter has States**

- **SOLIDS** — have rigid shape, fixed volume. External shape can reflect the atomic and molecular arrangement.
  - Reasonably well understood.
- **LIQUIDS** — have no fixed shape and may not fill a container completely.
  - Not well understood.
- **GASES** — expand to fill their container.
  - Good theoretical understanding.

© 2006

## Physical properties describe matter

- color
- liquid
- melting point
- boiling point
- odor
- density
- brittleness



© 2006

25

## Physical changes alter the state of matter

- boiling a liquid
- freezing a liquid
- melting a solid
- subliming a solid
- depositing a gas
- condensing a gas
- dissolving a solid in a liquid to give a solution
- crushing a solid



© 2006

26

## Chemical properties and chemical change alter the composition of matter

- **Chemical change** or **chemical reaction** — transformation of one or more atoms or molecules into one or more different molecules.



© 2006

27

## Examples of Chemical Change

- Silver tarnishes
- Gasoline burns
- Battery provides electricity
- Garbage rots
- Kittens breathe
- Plants photosynthesize
- Hard boil an egg
- Iron rusts



© 2006

28

Physical Properties	
Property	Example
<b>Qualitative</b>	
Color	Sulfur is yellow.
Odor	Hydrogen sulfide stinks.
Solubility	Table salt dissolves in water.
Hardness	Diamond is exceptionally hard.
Electrical conductivity	Copper conducts electricity.
<b>Quantitative</b>	
Mass	A nickel has a mass of 5 grams.
Temperature	Water for the bath is at 40 °C.
Melting point	Lead melts at 327.5 °C.
Density	At 20 °C, water has a density of 0.998 grams per milliliter.
Chemical Properties	
Substance	Typical Chemical Property
Iron	Rusts (combines with oxygen to form iron oxide)
Carbon	Undergoes combustion (combines with oxygen to form carbon dioxide)
Silver	Tarnishes (combines with sulfur to form silver sulfide)
Sodium	Reacts violently with water to form hydrogen gas and a solution of sodium hydroxide.
Nitroglycerin	Explodes (decomposes, when detonated, to a mixture of gases)

29

## Types of Observations and Measurements

- **QUALITATIVE** observations include changes in color and physical state. (What is it?)
- **QUANTITATIVE** measurements involve numbers. (How much?)
- Use **SI units** — based on the metric system

© 2006

30

31

## UNITS OF MEASUREMENT

Use **SI units** — based on the metric system


<b>Length</b>	Meter, m
<b>Mass</b>	Kilogram, kg
<b>Time</b>	Seconds, s
<b>Temperature</b>	Celsius degrees, °C kelvins, K

© 2006

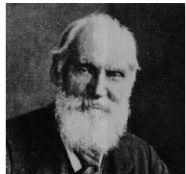
32

## Temperature Scales

- Fahrenheit
- Celsius
- Kelvin



Anders Celsius  
1701-1744



Lord Kelvin  
(William Thomson)  
1824-1907

© 2006

33

## Temperature Scales

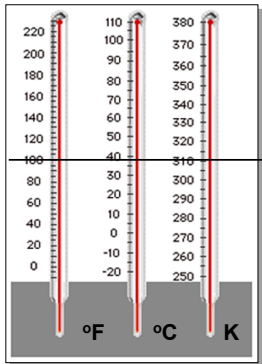
	Fahrenheit	Celsius	Kelvin
Boiling point of water	212 °F	100 °C	373 K
	↓ 180 °F	↓ 100 °C	↓ 100 K
Freezing point of water	32 °F	0 °C	273 K

Notice that 1 kelvin degree = 1 degree Celsius

© 2006

34


## Temperature Scales



100 °F  
38 °C  
311 K

© 2006

35



## Calculations Using Temperature

- Generally use temperatures in Kelvin

$K = ^\circ C + 273$

Given on help sheet

- Body temp =  $37^\circ C + 273 = 310\text{ K}$
- Liquid nitrogen =  $-196^\circ C + 273 = 77\text{ K}$

© 2006

## Convert Temperatures

- Equation for converting °C to °F.  

$$^\circ F = 1.8\text{ }^\circ C + 32$$

Given on help sheet
- Be able to solve this equation for °C.

36



## UNITS OF MEASUREMENT

37

Use **SI units** — based on the metric system

**Length** Meter, m

**Mass** Kilogram, kg

**Time** Seconds, s

**Temperature** Celsius degrees, °C  
kelvins, K

© 2008

## Know Metric Prefixes

Given

Prefix	Abbreviation	Meaning	Value	Example
mega-	M	million	$1 \times 10^6$	megagram
kilo-	k	thousand	$1 \times 10^3$	kilogram
-	-	1	$1 \times 10^0$	gram
deci-	d	tenth	$1 \times 10^{-1}$	decigram
centi-	c	hundredth	$1 \times 10^{-2}$	centigram
milli-	m	thousandth	$1 \times 10^{-3}$	milligram
micro-	$\mu$	millionth	$1 \times 10^{-6}$	microgram
nano-	n	billionth	$1 \times 10^{-9}$	nanogram
pico-	p	trillionth	$1 \times 10^{-12}$	picrogram
femto-	f	-	$1 \times 10^{-15}$	femtogram

BIG



small

The number zero 0 is smaller than all of these

## Convert Units of Mass

Q) 1.0cg equals how many mg?

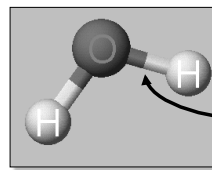
- 1 kilogram (kg) =  $1 \times 10^3$  grams (g)
- 1 centigram (cg) =  $1 \times 10^{-2}$  grams (g)
- 1 milligram (mg) =  $1 \times 10^{-3}$  grams (g)
- 1 centigram (cg) = 10 milligram (mg)

$$1.0cg \times \frac{1 \times 10^{-2} g}{1cg} \times \frac{mg}{1 \times 10^{-3} g} = 10.mg$$

## Convert Units of Length

40

- 1 kilometer (km) =  $1 \times 10^3$  meters (m)
- 1 centimeter (cm) =  $1 \times 10^{-2}$  meters (m)
- 1 nanometer (nm) =  $1 \times 10^{-9}$  meter (m)
- 1 centimeter (cm) = 10 millimeters (mm)



O—H distance =  
 $9.58 \times 10^{-11} m$   
 $9.58 \times 10^{-9} cm$   
 0.0958 nm

© 2008

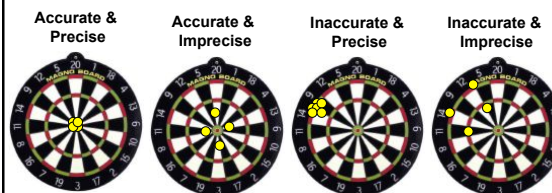
## Convert Units of Volume

- 1 liter (L) = 1000 ml =  $1000 cm^3$
- 1 liter (L) =  $1 dm^3$
- $1 cm^3 = 0.001 L = 1 mL$

## Accuracy and Precision

42

- Accuracy – agreement with accepted value
- Precision – agreement of measurements with each other



© 2008

### Percent Error - measure of accuracy

43

$$\text{Percent Error} = \frac{\text{Experimental value} - \text{Accepted value}}{\text{Accepted Value}} * 100\%$$

Accepted (certified) mass = 10.0 g  
Experimental (measured) mass = 11.0 g

$$\text{Percent Error} = (11.0 \text{ g} - 10.0 \text{ g}) / 10.0 \text{ g} * 100\% = 10.0\%$$

© 2008

### Standard Deviation - measure of precision

44

$$S = \sqrt{\sum_{i=1}^n \left[ \frac{(X_i - \bar{X})^2}{n - 1} \right]}$$

s: standard deviation      Xi: measurement  
i: measurement number       $\bar{X}$ : average of all measurements  
n: total number of measurements

© 2008

### Explain Significant Digits

- Each number in a properly recorded measurement is a significant digit (or significant figure).
  - The significant digits tell the precision (uncertainty, or the  $\pm$ ) of a measurement, where the uncertainty of the last significant digit is presumed to be  $\pm 1$ .
  - When you count significant digits, start counting from the left with the first non-zero number.
  - Placeholder zeros are presumed not to be significant.
  - How many significant digits?
- |         |        |         |         |      |
|---------|--------|---------|---------|------|
| • 7     | 6000   | 3001    | 2000.00 | 200. |
| • 0.001 | 0.0013 | 100.001 | 1111    |      |

### Sort Numbers by Uncertainty

Step 1: Determine the  $\pm$  based on SD. Step 2: Sort by  $\pm$ .

Number	$\pm$	Most Uncertain (big $\pm$ )
1) 7		
2) 0.0013		
3) 6000		
4) 0.001		
5) 2000.00		
6) 200.	1	
		Least Uncertain (little $\pm$ )

### Explain Exact Numbers

- When we count something, it is an exact number.
- Metric conversions are exact numbers.
- Definitions are exact numbers
- Exact numbers have as many significant digits as are needed, so they don't affect significant digits in calculations.
- Example of exact numbers:
  - 3 coins on this slide (counting)
  - 1 kg = 1000 g (metric)
  - 1 mL = 1 cm<sup>3</sup> (metric)
  - 1 in = 2.54 cm (definition)



### Rounding Numbers





- All numbers from a measurement are significant. However, we often generate nonsignificant digits when performing calculations.
- We get rid of nonsignificant digits by rounding off numbers.
- There are three rules for rounding off numbers.



### Rules for Rounding Numbers

1. If the first nonsignificant digit is less than 5, drop all nonsignificant digits.
2. If the first nonsignificant digit is greater than or equal to 5, increase the last significant digit by 1 and drop all nonsignificant digits.
3. If a calculation has two or more operations, retain all nonsignificant digits until the final operation and then round off the answer.

### Rounding Numbers

- A calculator displays 12.846239 and 3 significant digits are justified. 
- The first nonsignificant digit is a 4, so we drop all nonsignificant digits and get (12.8) as the answer. 
- A calculator display 12.856239 and 3 significant digits are justified. 
- The first nonsignificant digit is a 5, so the last significant digit is increased by one to 9, all the nonsignificant digits are dropped, and we get (12.9) as the answer. 

### Rules for Significant Digits

- Addition and subtraction rule
- Multiplication and division rule
- Significant digits come from measurements (or data in a problem). Keep track of SD during calculations by applying each rule as you need it.

### Add & Subtract Measurements

- When adding or subtracting measurements, the answer is limited by the value with the *most uncertainty*.
- Lets add three mass measurements.
- The measurement 5 g has the greatest uncertainty ( $\pm 1$  g).
- The correct answer is (15 g).
- 2 significant digits in the answer

Significant Digits	Nonsignificant Digits
5	
5.1	
+ 5.34	
<hr/>	
15.44	

### Multiply & Divide Measurements

- When multiplying or dividing measurements, the answer is limited by the measurement with the *fewest significant digits*.
- Lets multiply two length measurements.  
 $\rightarrow 5.15 \text{ cm} \times 2.3 \text{ cm} = 11.845 \text{ cm}^2$
- The measurement 2.3 cm has the fewest significant digits, two.
- The correct answer is (12 cm<sup>2</sup>).

### Powers of Ten

- A *power of 10* is a number that results when 10 is raised to an exponential power.
- The power can be positive (number greater than 1) or negative (number less than 1).

Powers of 10	
Exponential Number	Ordinary Number
$1 \times 10^6 = 10 \times 10 \times 10 \times 10 \times 10 \times 10$	1,000,000
$1 \times 10^3 = 10 \times 10 \times 10$	1,000
$1 \times 10^2 = 10 \times 10$	100
$1 \times 10^1 = 10$	10
$1 \times 10^0 = 1$	1
$1 \times 10^{-1} = \frac{1}{10}$	0.1
$1 \times 10^{-2} = \frac{1}{10} \times \frac{1}{10}$	0.01
$1 \times 10^{-3} = \frac{1}{10} \times \frac{1}{10} \times \frac{1}{10}$	0.001
$1 \times 10^{-6} = \frac{1}{10} \times \frac{1}{10} \times \frac{1}{10} \times \frac{1}{10} \times \frac{1}{10} \times \frac{1}{10}$	0.000 001

Bigger

Smaller

### Scientific Notation

- Numbers in science are often very large or very small. To avoid confusion, we use *scientific notation*.
- Scientific notation uses the significant digits in a measurement followed by a power of ten.

$$\text{significant digits} \rightarrow D . D D \times 10^n \leftarrow \text{power of 10}$$

### Applying Scientific Notation

- To use scientific notation, first place a decimal after the first nonzero digit in the number followed by the remaining significant digits.
- Indicate how many places the decimal is moved by the power of 10.

### Scientific Notation Example

- There are 26,800,000,000,000,000,000,000 helium atoms in 1.00 L of helium gas. Express the number in scientific notation.
- Place the decimal after the 2, followed by the other significant digits.
- Count the number of places the decimal has moved to the left (22). Use this as the power of 10 to complete the scientific notation.

$$2.68 \times 10^{22} \text{ atoms}$$

- Note 3 significant digits in both numbers

### Scientific Notation Example

- The typical length between two carbon atoms in a molecule of benzene is 0.000000140 m. What is the length expressed in scientific notation?
- Place the decimal after the 1, followed by the other significant digits.
- Count the number of places the decimal has moved to the right (7). Use this as a negative power of 10 to complete the scientific notation.

$$1.40 \times 10^{-7} \text{ m}$$

- Note 3 significant digits in both numbers

### Scientific Notation and Calculators

- Be sure that you know how to enter scientific notation on your calculator!
- $1.40 \times 10^{-7}$  is often entered  
1.40 **EXP** 7 **+/-**
- The display might read  $1.4^{-07}$  to represent the number  $1.40 \times 10^{-7}$ .
- Calculators usually do not track significant digits. You need to do it.

### DENSITY - an important and useful physical property

$$\text{Density} = \frac{\text{mass (g)}}{\text{volume (cm}^3\text{)}}$$



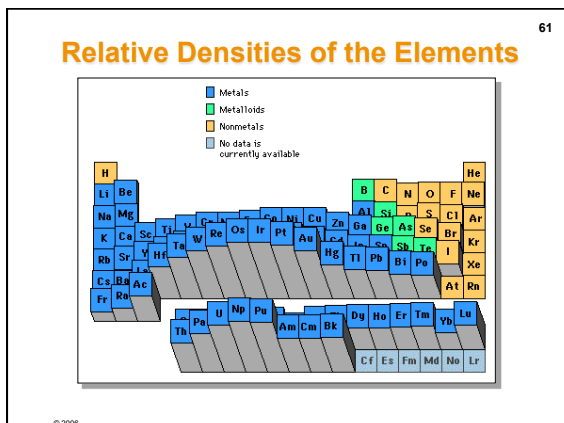
13.6 g/cm<sup>3</sup>



21.5 g/cm<sup>3</sup>



2.7 g/cm<sup>3</sup>



**Problem** A bar of copper has a mass of 57.54 g. It is 9.36 cm long, 7.23 cm wide, and 0.95 mm thick. Calculate density ( $\text{g}/\text{cm}^3$ ).

$$\text{Density} = \frac{\text{mass (g)}}{\text{volume (cm}^3\text{)}}$$



### Strategy

1. Get dimensions in common units.

2. Calculate volume in cubic centimeters.

3. Calculate the density.

### SOLUTION

1. Get dimensions in common units.

$$0.95 \text{ mm} \cdot \frac{1 \text{ cm}}{10 \text{ mm}} = 0.095 \text{ cm}$$

2. Calculate volume in cubic centimeters.

$$(9.36 \text{ cm})(7.23 \text{ cm})(0.095 \text{ cm}) = 6.4289 \text{ cm}^3$$

Note 2 significant digits

3. Calculate the density.

$$57.54 \text{ g} / 6.4289 \text{ cm}^3 = 8.9502 \text{ g}/\text{cm}^3 = 9.0 \text{ g}/\text{cm}^3$$

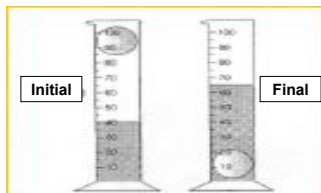
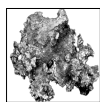
Carry the extra digits through and round the final answer

### Determine Volume by Water Displacement



A solid will displace a volume of water,  $V$ , when submersed in a liquid.

$$V = V_{\text{final}} - V_{\text{initial}}$$



### How to Calculate Volumes



$$V_{\text{cylinder}} = \pi r^2 h$$

$\pi = 3.14159$ ,  $r$  = radius of cylinder

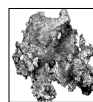
$h$  = height of cylinder, same units as  $r$ .



$$V_{\text{rectangular solid}} = L \times W \times H$$

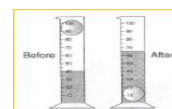
$L$  = length,  $W$  = Width,  $H$  = Height

Use same units for  $L$ ,  $W$  and  $H$



$$V_{\text{irregular solid}} = V_{\text{after}} - V_{\text{before}}$$

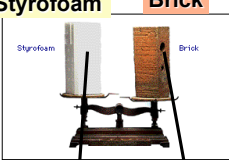
determined by water displacement



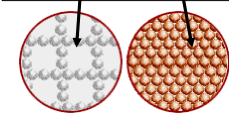
**DENSITY**

- Density is an **INTENSIVE** property of matter.
  - does **NOT** depend on quantity of matter.
  - Temperature and density
- Contrast with **EXTENSIVE**
  - depends on quantity of matter.
  - mass and volume.

**Styrofoam**

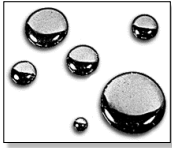


**Brick**



© 2006

**PROBLEM:** Mercury (Hg) has a density of  $13.6 \text{ g/cm}^3$ . What is the mass of 95 mL of Hg in grams? In pounds?



Solve the problem using **DIMENSIONAL ANALYSIS**.

© 2006

**PROBLEM:** Mercury (Hg) has a density of  $13.6 \text{ g/cm}^3$ . What is the mass of 95 mL of Hg?

➔ First, note that  **$1 \text{ cm}^3 = 1 \text{ mL}$**

**Strategy**

- Use density to calc. mass (g) from volume.
- Convert mass (g) to mass (lb)  
Need to know conversion factor  
 **$= 454 \text{ g} / 1 \text{ lb}$**

© 2006

**PROBLEM:** Mercury (Hg) has a density of  $13.6 \text{ g/cm}^3$ . What is the mass of 95 mL of Hg?

- Convert volume to mass
 
$$95 \text{ cm}^3 \cdot \frac{13.6 \text{ g}}{1 \text{ cm}^3} = 1.3 \times 10^3 \text{ g}$$
- Convert mass (g) to mass (lb)
 
$$1.3 \times 10^3 \text{ g} \cdot \frac{1 \text{ lb}}{454 \text{ g}} = 2.8 \text{ lb}$$

© 2006

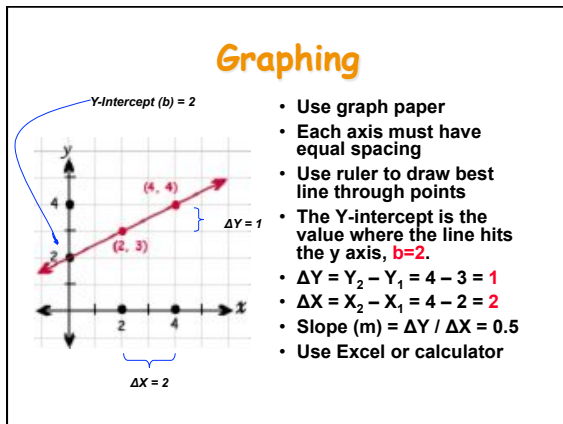
## Conversion Factors

- You should know the metric conversion factors and how to use them (handout) because these are often not provided.
- Conversion factors between British and metric units are usually provided (See Kotz Page A12 and A13)

## Standard Deviation

- Standard Deviation is a measure of precision for a series of measurements ( $X_i$ )
- Measured Values ( $X_i$ )
- Average Value ( $X_{\text{bar}}$ )
- $n$  = number of measurements
- Standard Deviation =  
Square Root  $\{ \text{Sum } (X_i - X_{\text{bar}})^2 / n \}$

Your calculator can often calculate standard deviation for you.



End